

## LECTURE 14 FAIRNESS

**Aim:** To analyze the determinants of fairness in economic behavior.

**Outline:** Fairness and social preferences. Dictator game. Ultimatum game. Fehr and Schmidt's model. Beliefs. Asymmetric payoffs. Framing. Intentions matters.

### **Readings:**

Fehr, E. and K. M. Schmidt (1999). "A Theory of Fairness, Competition, and Cooperation", *The Quarterly Journal of Economics*, 114, 817-868

Bicchieri, C. and J. Zhang (2012) "An Embarrassment of Riches: Modeling Social Preferences in Ultimatum Games", in U. Maki (ed.) *Philosophy of Economics*, San Diego: North Holland, 577-595.

### **Blogs, Videos and Websites**

"The Triumph of the Social Animal" by Chrystia Freeland

<http://www.nytimes.com/2012/04/20/world/europe/20iht-letter20.html>

Capuchin monkeys reject unequal pay

<http://www.youtube.com/watch?v=IKhAd0Tyny0>

# FAIRNESS AND SOCIAL PREFERENCES

Experimental evidence on

- ▶ sharing
- ▶ sanctioning
- ▶ fairness

**Sharing and sanctioning** are characterized by **reciprocity**

Kindness vs. kindness

Unfairness vs. (costly) sanctions

Individual heterogeneity

## **Preference for fairness**

Given two outcomes, individuals by and large will prefer the fairest one

# DICTATOR GAME

Two players: Dictator and Recipient

Dictator gets amount  $X$  and decides how to allocate  $X$  between Recipient ( $s$ ) and Dictator ( $X-s$ )

Most common results

- ▶ - Average offer  $s \approx 0.2$
- ▶ - Most common offers: 0 and 0.4 – 0.5

-  $s$  increases with :

- ▶ Non-anonymity
- ▶ Identifiable recipient
- ▶ "Deserving" recipient (e.g. Amnesty)

$s$  decrease with:

- ▶ "Earned" initial amount
- ▶ Option to "pass"

# ULTIMATUM GAME

Fehr and Schmidt (1999)

Proposer gets \$1 and propose a share  $s$  to the respondent

Respondent accepts (payoffs  $(1 - s, s)$ ) or rejects (payoffs  $(0, 0)$ )

Most common strategy  $s = .3$

## Market game with multiple proposers

- 1 responder and  $n-1$  proposers
- R accepts the highest offer
- empirically  $s = 1$

## Market game with multiple responders

- $n - 1$  responders and 1 proposer
- if at least one responder accepts, the contract is executed (responder share is divided between all responders that accepted)
- empirically  $s = 0$

# UG FINDINGS

One-shot, anonymous Ugs

Modal and median UG offers are 40/50%

Means are 30/40%

Offers of 40/50% rarely rejected

Offers below 20% rejected about half the time

## Explanations

- ▶ Preference for fairness
- ▶ Negative/positive reciprocity of perceived intentions
- ▶ Altruism, generosity
- ▶ Social norms

## FEHR AND SCHMIDT'S MODEL

People dislike inequality: they care about own payoffs and differences between their payoffs and others'

Player  $i$ 's utility for the allocation  $(x_1, \dots, x_n)$  is:

$$U_i(x_1, \dots, x_n) = x_i - \frac{\alpha_i}{n-1} \sum_j \max(x_j - x_i, 0) - \frac{\beta_i}{n-1} \sum_j \max(x_i - x_j, 0)$$

" $\alpha$ " can be considered as an envy weight, and " $\beta$ " as a guilt weight  
 $0 < \beta_i < \alpha_i$ , and  $\beta_i < 1$

people dislike advantageous inequality less than disadvantageous inequality

Fehr-Schmidt is a consequentialist model: an agent's utility is completely determined by the final distribution of outcomes — his and others' material payoffs

# BELIEFS

Rabin emphasizes the role of actual actions and beliefs in determining utility.

HP: The proposer is asking what type of responder she is facing.

If her belief about the type of the responder is a probability distribution  $P$  on  $\alpha_2$  and  $\beta_2$ .

When  $\beta_1 > 1/2$ , the proposer's rational choice does not depend on what  $P$  is.

When  $\beta_1 < 1/2$ , however, the proposer may seek to maximize the expected utility:

$$EU(x) = P(\alpha_2 M / (1 + 2\alpha_2) < x) \times ((1 - \beta_1)M - (1 - 2\beta_1)x)$$

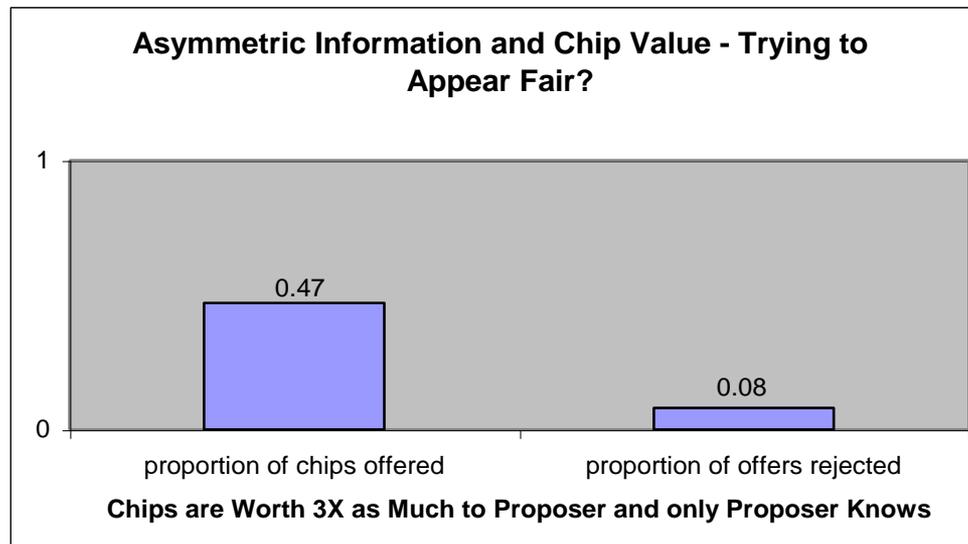
Therefore, the behavior of a rational proposer in UG is determined by her own type ( $\beta_1$ ) and her belief about the type of the responder.

The experimental data suggest that for many proposers, either  $\beta$  is big ( $\beta > 1/2$ ) or their estimate of the responder's  $\alpha$  is big.

# ASYMMETRIC PAYOFFS

## Kagel et al. (1996)

- ▶ Chips have higher (three times more) values for the proposer, and only the proposer knows it
- ▶ in this case the offer is very close to half of the chips and the rejection rate is low
- ▶ people merely prefer to appear fair, as a really fair person is supposed to offer about 75% of the chips

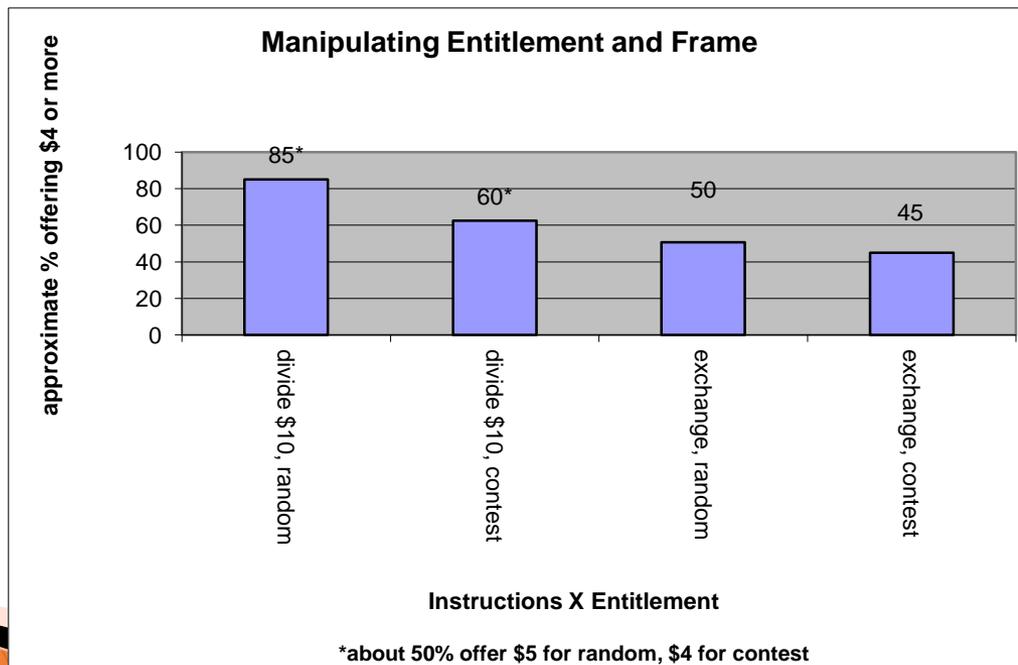


“Fairness in Ultimatum Games with Asymmetric Information and Asymmetric Payoffs”  
Kagel, J Kim, C & Moser, D (1996) *Games and Economic Behavior* **13** 100-110.

# FRAMING

## Hoffman et al. (1985)

- ▶ UG with groups of twelve participants were ranked on a scale 1-12 either randomly or by superior performance in answering questions about current events.
- ▶ The top six were assigned to the role of "proposer/seller" and the rest to the role of "responder/buyer".
- ▶ Significantly lowered offers, but rejection rates were unchanged as compared to the standard Ultimatum game.

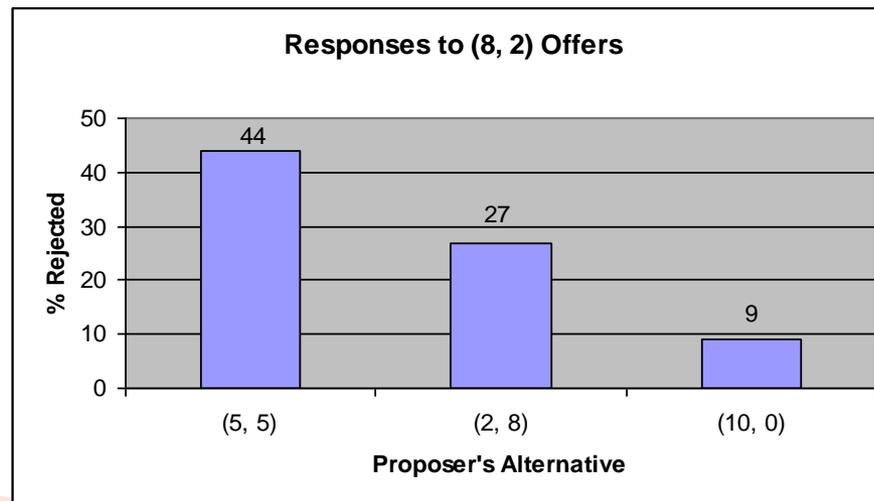


# INTENTIONS MATTER

## Fehr et al. (2003)

- ▶ UG with only two choices: either offer 2 (and keep 8) or make an alternative offer that varies across treatments:  
(5,5), (8,2), (2,8) and (10,0)
- ▶ When the (8,2) offer is compared to the (5,5) alternative, the rejection rate is 44.4%
- ▶ It decreases to 27% if the alternative is (2,8), and further decreases to 9% if the alternative is (10,0).
- ▶ the rejection rate depends a lot on what the alternative is

“On the Nature of Fair Behavior” Falk, Fehr, Fischbacher (2003)



# SUMMARY

- Preference for fairness is not unconditional
- Ambiguity allows self-serving biases
- Fairness depends on expectations
- Fairness depends on contexts and framing
- Intentions matter

## Research questions

What grounds expectations?

How do we map contexts into preferences?

